

# ENGR 3421: Robotics I

## PID Control

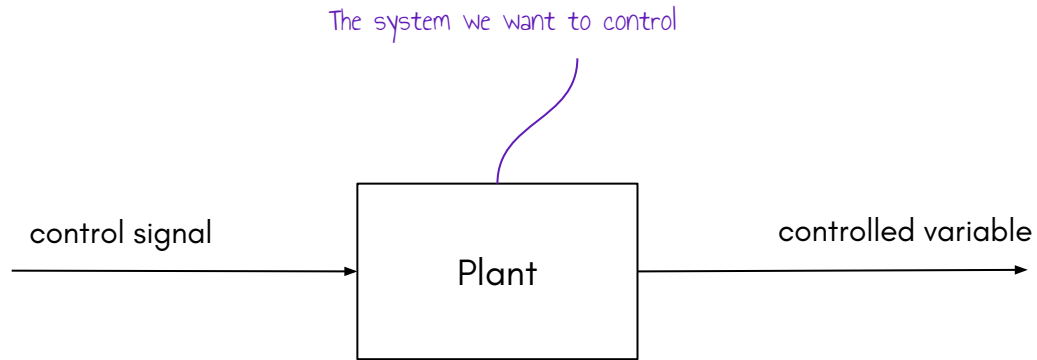
10/28/2025



# Outline

- Open-Loop Control vs. Closed-Loop Control
- PID Control
  - Proportional Gain
  - Integral Gain
  - Derivative Gain

# Open-Loop Control



Lever angle

Tap

Water level

Bioelectrical signal

Leg,  
foot

Stride length

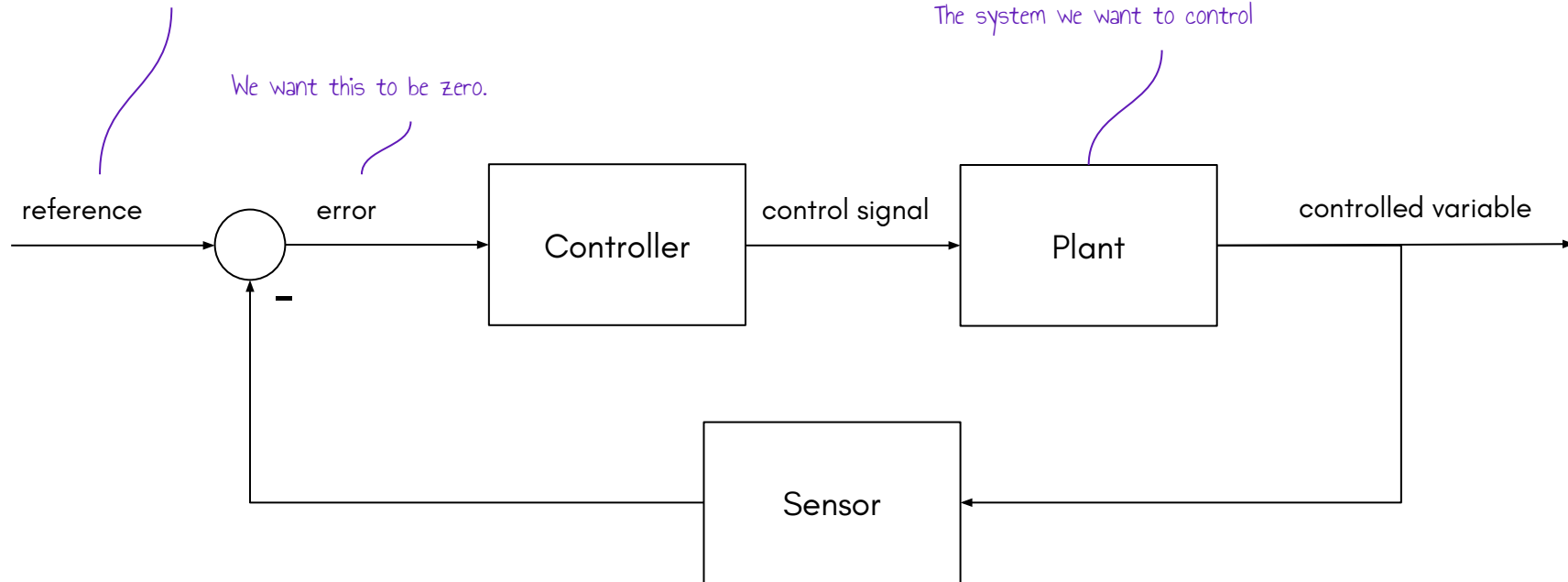
Heater current,  
tumbling speed

Dryer

Humidity

# Closed-Loop/Feedback Control

What we expect the controlled variable to be.



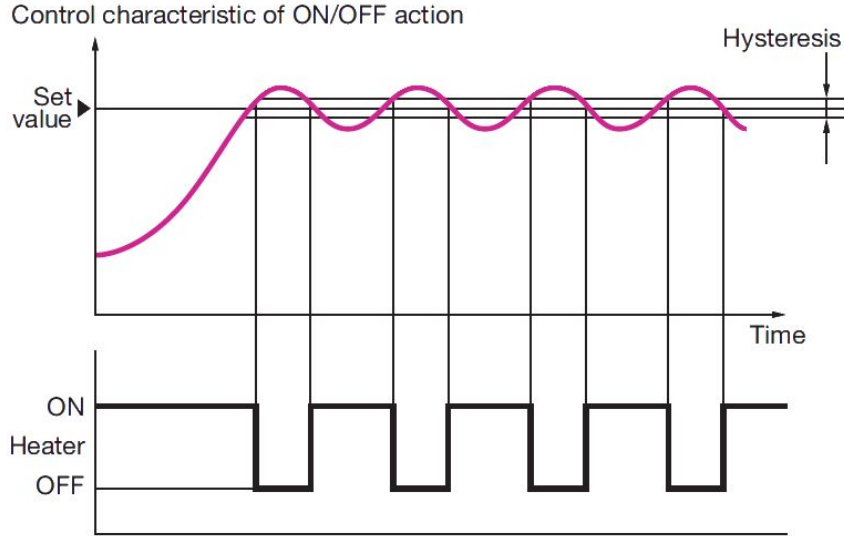
# Some Control Scenarios

- A furnace trying to warm a room.
- A robotic arm trying to reach to a certain pose.
- A valve trying to control water flow..
- A cart trying to arrive to a destination point.
- A quadcopter trying to balance itself.
- A motor trying to reach desired speed.

# Control Goals

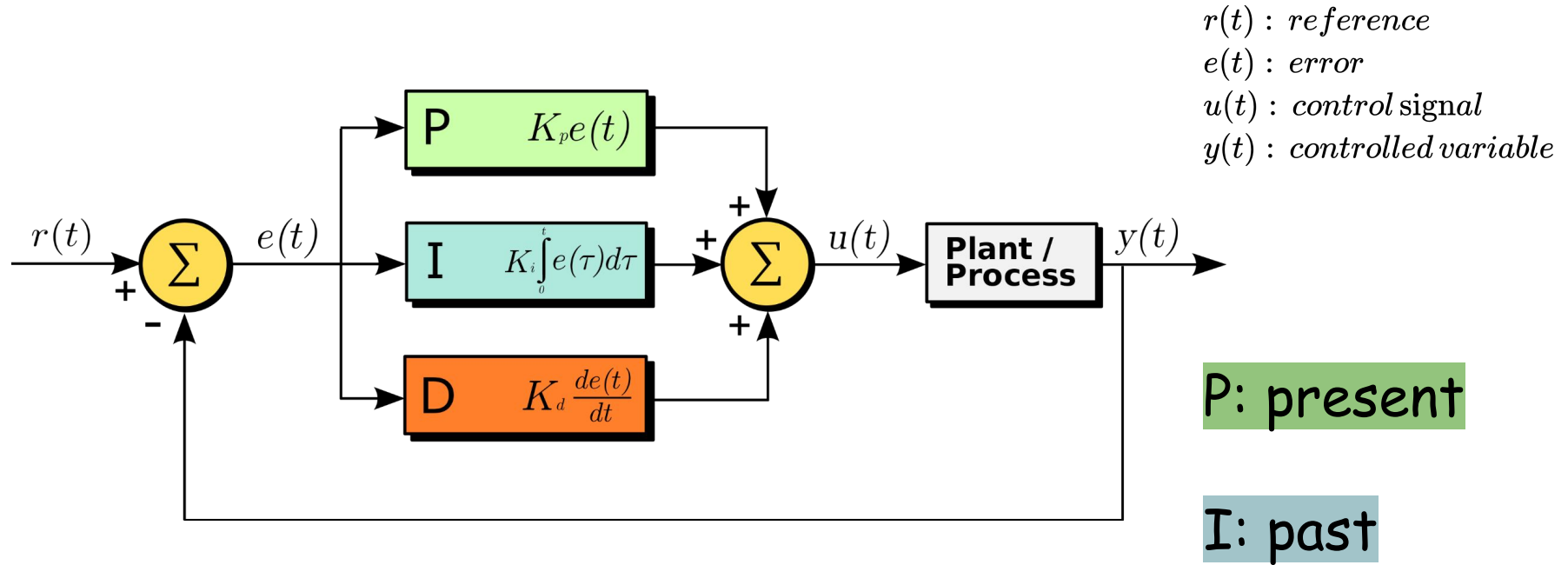
- Quick response.
- Stable at the reference.

# Bang-Bang Control



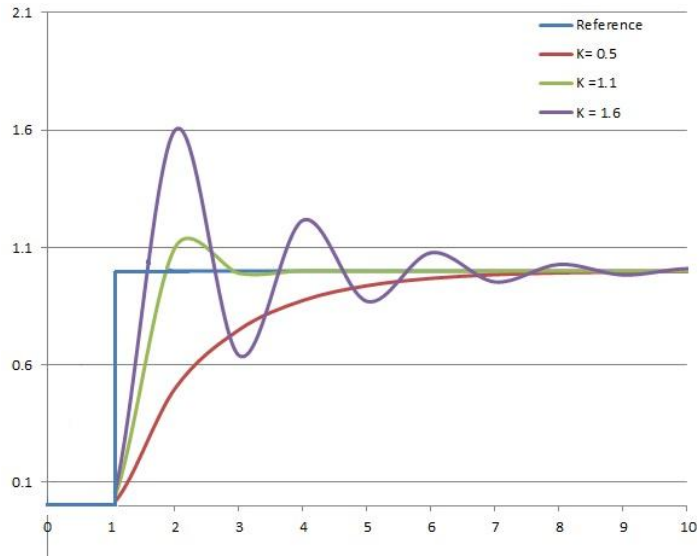
- On/Off control is simple.
- Set a reasonable hysteresis gap.
- Sudden high current/heating/expansion leads to wear-and-tear effect.

# PID Controller



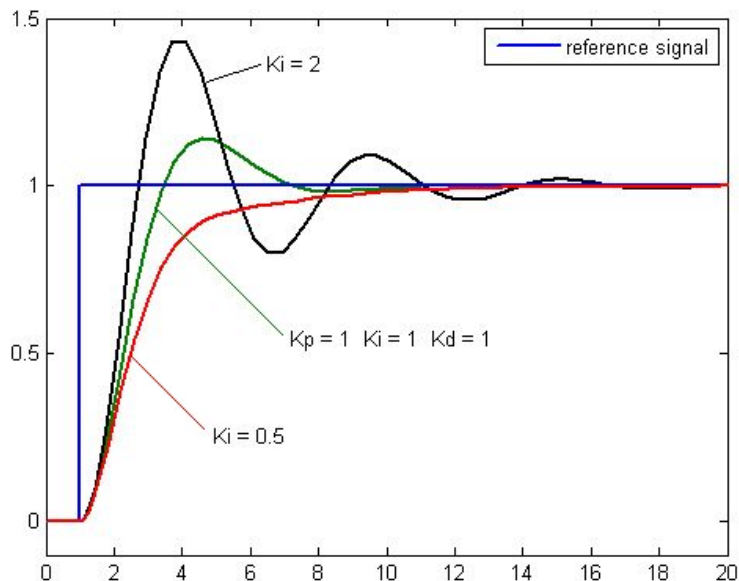
$$u(t) = K_p e(t) + K_i \int_0^t e(\tau) d\tau + K_d \frac{de(t)}{dt}$$

# Proportional Gain



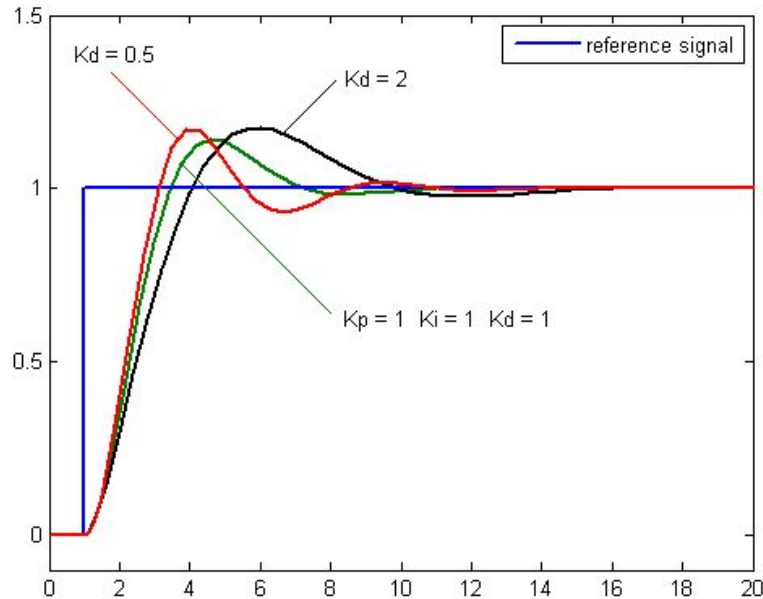
- Proportional gain is simple and can work out of the box in practice.
- Large  $K_p$  may cause oscillation.
- Output will have an offset from the set point if a non-zero input is required at that point.

# Integral Gain



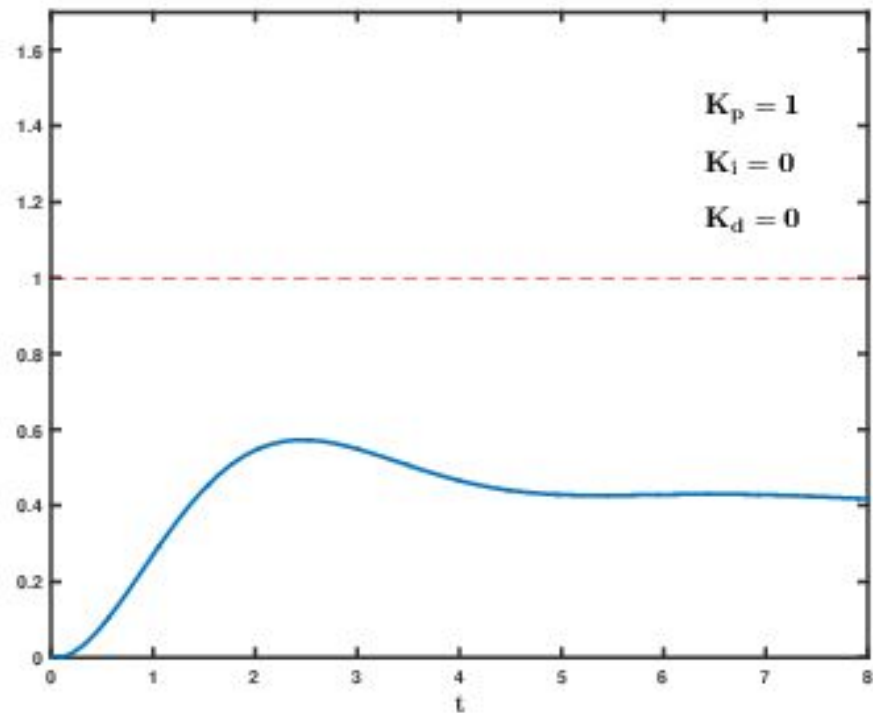
- Compare to  $K_p$ ,  $K_i$  is usually a smaller factor.
- Need a reasonable error buffer size.
- You don't want to save errors at the beginning, set a threshold for  $K_i$  to kick in.
- Set point/reference may drastically changes, make sure to clean up the error buffer after that.

# Derivative Gain



- Usually,  $K_p$  and  $K_i$  will do the job.
- $K_d$  can help to stabilize the outcome.
- Set a time interval to calculate derivatives, the error exact one time step before could be noisy.

# PID Putting together



# Study Resources

- [Matlab Tech Talks](#)
- [DC Motor PID Speed Control](#)
- [Examples](#)